# LOVE, MARRIAGE & HAPPINESS

### MATTHIAS FELLEISEN, NU PRL

































You are here because you fell in love with something about programming languages.





## πrogramming λanguages

The most fundamental area of computer science. If you don't have a language, you can't compute. Developers primarily use programming languages. The tools we build have meaning for them.

The most fundamental area of computer science. If you don't have a language, you can't compute.



## πrogramming λanguages

You will get to work with elegant mathematics and, some of you will develop new mathematics.

Developers primarily use programming languages. The tools we build have meaning for them.

The most fundamental area of computer science. If you don't have a language, you can't compute.



You will get to work with elegant mathematics and, some of you will develop new mathematics. Where else do you get to work with the coolest professors on the planet?

Developers primarily use programming languages. The tools we build have meaning for them.

The most fundamental area of computer science. If you don't have a language, you can't compute. πrogramming λanguages

#### SO WHAT'S IT LIKE TO GET MARRIED TO PL RESEARCH



#### IT HAS ITS UPS AND DOWNS.





Falling in love.

#### IT HAS ITS UPS AND DOWNS.

Being in love.

Falling in love.



#### IT HAS ITS UPS AND DOWNS.

Getting thru difficult, troublesome times ...

Being in love.

Falling in love.







Hard because it's an old and now 'hidden' discipline.



HARD because it isn't 'hot' with IT industry.

Hard because it's an old and now 'hidden' discipline.



#### AND LOVE IS WHAT GETS YOU BACK ON TRACK.



H.A.R.D.

HARD because it isn't 'hot' with IT industry.

Hard because it's an old and now 'hidden' discipline.

#### ONE LAST WARNING: IF YOU DON'T LOVE IT, LEAVE IT.



#### ONE LAST WARNING: IF YOU DON'T LOVE IT, LEAVE IT.

If you want to be famous, get into *Artificial Intelligence*.



#### ONE LAST WARNING: IF YOU DON'T LOVE IT, LEAVE IT.

If you want to make money, do *Big Data*.

If you want to be famous, get into *Artificial Intelligence*.


If you want a career, switch majors. I hear our *Business School* is looking for students.

If you want to make money, do *Big Data*.

If you want to be famous, get into *Artificial Intelligence*.



### **TYPES FOR UNTYPED LANGUAGES, HOW LOVE WORKS**

















(define (tautology? p)

(bond

[(boolean? p) p]













THERE IS LOTS OF LISP OUT THERE AND THEY MAY WANT TYPES.

1987



THERE IS LOTS OF LISP OUT THERE AND THEY MAY WANT TYPES.





```
(define (tautology? p)
```

(cond

```
[(boolean? p) p]
```

```
(tautology? true)
```

```
(tautology? (lambda (x) (lambda (y) (or x y))))
```

```
(define (tautology? p)
```

(cond

```
[(boolean? p) p]
```

```
(tautology? true)
(tautology? (lambda (x) (lambda (y) (or x y))))
```

```
(define (tautology? p)
```

(cond

```
[(boolean? p) p]
```

```
(tautology? true)
(tautology? (lambda (x) (lambda (y) (or x y))))
```

## EASY! TYPE INFERENCE! ML HAS HAD IT SINCE 1978.

```
type proposition = InL of bool | InR of (bool -> proposition)
```

```
let rec is_tautology p =
```

match p with

| InL b -> b

InR p -> is\_tautology(p true) && is\_tautology(p false)

is\_tautology (InR(fun x -> InL true))

is\_tautology (InR(fun x -> InR(fun y -> or then InL x else InL y)))



#### roposition)

o false)

x else InL y)))

WE PONT NEED NO EDUCATION





roposition)

p false);;

x else InL y)))

WE DON'T WANT TO WRITE DOWN TYPE DEFINITIONS. WE DON'T WANT TO ADD INSERTIONS AND PROJECTIONS.

#### SO HOW COULD WE SAY THIS IN SCHEME?

# Soft Typing



Robert Cartwright, Mike Fagan\* Department of Computer Science Rice University Houston, TX 77251-1892

- replace ML's type algebra (x, \*, ->, ...)
- with Remy's extensible records exclusively
- make it work for 100-line purely functional programs in quasi-Scheme

#### SO HOW COULD WE SAY THIS IN SCHEME?

### Soft Typing



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- replace ML's type algebra (x, \*, ->, ...)
- with Remy's extensible records exclusively
- make it work for 100-line purely functional programs in quasi-Scheme

- grow it to full Chez Scheme
- whole-program inference
- success: speed-up

#### A Practical Soft Type System for Scheme

Andrew K. Wright\*

Robert Cartwright<sup>†</sup>



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```
(define (tautology? p)
  (cond
    [(boolean? p) p]
    [else (and (tautology? (p true)) (tautology? (p false)))]))
```

infer via modified HM

(-> (µ (Proposition)

(+ Boolean (-> Boolean Proposition)))

Boolean)

```
(define (tautology? p)
 (cond
  [(boolean? p) p]
  [else (and (tautology? (p true)) (tautology? (p false)))]))
```

infer via modified HM



(-> ( $\mu$  (Proposition)

(+ Boolean (-> Boolean Proposition)))

Boolean)







(define (tautology? p)

(cond

```
[(boolean? p) p]
```

[else (and (tautology? (p true)) (p false))]))



10-10



(define (tautology? p)				
(cond				
[(boolean?	p) p]			
[else (and	(tautology?	(p true))	) (p false)	]))
			Jan Stranger	
	DOZENS OF	I INFS FOR		
	THE TYPE MIS	MATCH W/O		
	TELLING THE	DEV WHERE		
	IHINGS WEI	NI WRUNG		
	ALL		-	
NAME OF				





#### WHAT SOFT SCHEME CAN'T DO,

(define (tautology? p)	
(cond	
[(boolean? p) p]	
[else (and (tar The Problem:	
Gaussian elim uninterpreteo program whe	nination over equations in an I algebras cannot point back to In the system (of eqs) is inconsistent.
	any sensible error message,

just one, please .. .. ..

NEVIN HEINZE SHOWED YOURS TRULY SET-BASED ANALYSIS, AND IT FELT LIKE AN IDEA THAT COULD HELP OUT HERE.



#### HEYA, DID YOU CATCH THIS MISTAKE?

### Catching Bugs in the Web of Program Invariants

Cormac Flanagan

Matthew Flatt

Shriram Krishnamurthi Matthias Felleisen

Stephanie Weirich





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- derive sub-typing constraints from code e.g. dom(f) < rng(g) or int < dom(h)
- solve via the transitive closure through the constructors in the constraint algebra
- find type errors by comparing specified constraints for prime with computed ones

### Componential Set-Based Analysis

CORMAC FLANAGAN Compaq Systems Research Center and MATTHIAS FELLEISEN **Rice University**
```
(define (tautology? p)
  (cond
    [(boolean? p) p]
    [else (and (tautology? (p true)) (tautology? (p false)))]))
```

infer via componential SBA





## AND THEY CAN EXPLAIN ERRORS, HALLELUJAH!

(define (tautology? p)

(cond

[(boolean? p) p]

[else (and (tautology? (p true)) (p false))]))



inspect errors via flow graphs and slices drawn on top of code

## AND THEY CAN EXPLAIN ERRORS, HALLELUJAH!

(define (tautology? p)

(cond

[(boolean? p) p]

[else (and (tautology? (p true)) (p false))]))

acket-tests.rkt - DrRacket • Debug 💓 Check Syntax 🖓 Macro Stepper 🎲 Run 🕨 Stop fi props.rkt 2 recket tests rist define INDACT-NUMBERS-FMT cannot compare 5 **EVEN WITH 3RD** ge) for the second argument, Given ~s\*) **UNDERGRADUATES** (the possible outcomes). Given ~s" Fine NAME-HON-PHT 'check-range: expects a num or for the minimum value. Given -a") efine RANGE-MAX-FMI heck-range: expects a ber live CHECK-RANGE-FUNCTION PHT r for the a (-> (µ (Proposition) eck-range: cannot co for-syntax ORIOK-NCT-DERI-STR and a test that is a at the top is NOT GREATER tax OWEDK-M (U Boolean (-> Proposition))) CK-EXPECT-DEPN-STR OREK-EXPECT-DEPN-S of all three test for Boolean) #"w[8h]h] (stepper-syntax-prop define src-info #.ellist #'louote #.[suntax-source stx]] (syntax-line stx) (syntax-column stx) untex-position stx) untex-span stx))))) ngt imodule (synta idefine #\_bogus-n #\_[stepper-sunt #'(Let+ ()ns Ste espaneb) Insteapace-variable-value 'test-object #f builder nall] future To t-test test-engine 278.31 MB

1.0

inspect errors via flow graphs and slices drawn on top of **ø**de





WE CANNOT ANALYZE THE COMPLETE CODE BASE OF THE SYSTEM ITSELF OR ITS CONTEXT. WE CAN'T EVEN 'MODULARIZE' THE ANALYSIS PROPERLY.











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COMPLETE CODE BASE OF THE SYSTEM ITSELF OR ITS CONTEXT. WE CAN'T EVEN 'MODULARIZE' THE ANALYSIS PROPERLY.

# **Modular Set-Based Analysis from Contracts**

Philippe Meunier





Robert Bruce Findler

Department of Computer Science, University of Chicago robby@cs.uchicago.edu

Matthias Felleisen

College of Computer and Information Science, Northeastern University matthias@ccs.neu.edu

- modules comes with contracts
- type inference turns contracts into constraints
- .. and stores derived constraints per module

# Contracts for Higher-Order Functions



Robert Bruce Findler<sup>1</sup> Matthias Felleisen Northeastern University College of Computer Science ston, Massachusetts 02115, USA











LET'S ADD TYPES INCREMENTALLY TO A CODE BASE AND MAKE SURE THE COMBINATION IS SOUND.

;; Proposition = Boolean   (Boolean -> Proposition)							
;; Proposition -> Boolean						lambda (x)	
	lambda (x)		;; Proposition = Boolean   (Boolean ->	Proposition)			
(check-expect (tautology? (lambda (_) true)) true)	(or x y))))					(or x y))))	
(check-expect			;; Proposition -> Boolean			false)	
(hh.]	false)		(check-expect (tautology? (lambda (_)	true)) true)		(define (tautology? p)	
(Lautotogy?	(define (tautology? p)		(check expect				
	(cond					(cond	
lambda (x)			(tautology?			[(boolean? p) p]	
(or x y))))	[(boolean? p) p]					[olso (and (tautology2 (	
	[else (and (tautology? (	p true))					
	(tautology2 (		lambda (x)			(tautology? (	o false)))]))
		,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,	(or x y))))				
	lambda (x)				;; Propositi	on = Boolean   (Boolean -> Pro	oposition)
			false)		;; Propositi	on -> Boolean	
;; Proposition = Boolean   (Boolean -> Proposition)	(or x y))))						
;; Proposition -> Boolean	false)			1	(check-expec	t (tautology? (lambda (_) tru	e)) true)
	(define (tautology? p)	;; Propositio	on = Boolean   (Boolean -> Proposition)		(check-expec	:t	
(cneck-expect (lautology? (lamoda (_) true)) true)		;; Propositio	on -> Boolean		(tautolog	;y?	
(check-expect	(cond	(check-expect	t (tautology? (lambda (_) true)) true)				
(tautology?	[(boolean? p) p]			;; Propositic	on = Boolean	(Boolean -> Proposition)	
	[e]se (and (tautology?	(check-expect	t				
	(p true))	(tautology	y?	;; Propositic	on -> Boolean		
	(tautology? (p false)))]))			(check-expect	t (tautology?	'(lambda (_) true)) true)	

(check-expect

(tautology?

;; Proposition = Boolean   (Boolean -> Proposition)			
;; Proposition -> Boolean			lambda (x)
(check-expect (tautology? (lambda (_) true)) true)	lambda (x)	;; Proposition = Boolean   (Boolean -> Proposition)	(or x y))))
(check-expect	(or x y))))	;; Proposition -> Boolean	false)
(tautology?		(check-expect (tautology? (lambda (_) true)) true)	(define (tautology? p)
	You want to add	types	

lambda	(x)	
	(or x y))))	
fals	se)	

;; Proposition = Boolean   (Boolean -> Proposition)
;; Proposition -> Boolean
(check-expect (tautology? (lambda (_) true)) true)
(check-expect
(tautology?

[else (and (p true))

(p false)))]))

And now v	you have	two p	proble	ms

- You should not change code that works, other than adding type annotations and definitions. Respect existing idioms of the language.
- You want the existing untyped code to play well with the newly typed code. Respect the central theorem of programming languages, type soundness.

(tautology? (tautology?	;; Proposition -> Boolean
(tautology?	(check-expect (tautology? (lambda (_) true)) true)
	(check-expect

(tautology?

utology? (p true))

utology? (p false)))]))

lean -> Proposition)

da (\_) true)) true)

;; Proposition = Boolean   (Boolean -> Proposition)							
;; Proposition -> Boolean						lambda (x)	
	lambda (x)		;; Proposition = Boolean   (Boolean ->	Proposition)			
(check-expect (tautology? (lambda (_) true)) true)	(or x y))))					(or x y))))	
(check-expect			;; Proposition -> Boolean			false)	
(hh.]	false)		(check-expect (tautology? (lambda (_)	true)) true)		(define (tautology? p)	
(Lautotogy?	(define (tautology? p)		(check expect				
	(cond					(cond	
lambda (x)			(tautology?			[(boolean? p) p]	
(or x y))))	[(boolean? p) p]					[olso (and (tautology2 (	
	[else (and (tautology? (	p true))					
	(tautology2 (		lambda (x)			(tautology? (	o false)))]))
		,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,	(or x y))))				
	lambda (x)				;; Propositi	on = Boolean   (Boolean -> Pro	oposition)
			false)		;; Propositi	on -> Boolean	
;; Proposition = Boolean   (Boolean -> Proposition)	(or x y))))						
;; Proposition -> Boolean	false)			1	(check-expec	t (tautology? (lambda (_) tru	e)) true)
	(define (tautology? p)	;; Propositio	on = Boolean   (Boolean -> Proposition)		(check-expec	:t	
(cneck-expect (lautology? (lamoda (_) true)) true)		;; Propositio	on -> Boolean		(tautolog	;y?	
(check-expect	(cond	(check-expect	t (tautology? (lambda (_) true)) true)				
(tautology?	[(boolean? p) p]			;; Propositic	on = Boolean	(Boolean -> Proposition)	
	[e]se (and (tautology?	(check-expect	t				
	(p true))	(tautology	y?	;; Propositic	on -> Boolean		
	(tautology? (p false)))]))			(check-expect	t (tautology?	'(lambda (_) true)) true)	

(check-expect

(tautology?

roposition -> Boolean		lambda (x)
(define (tautology? p)		
(cond		
[(boolean? p) p]		
[else (and (tautology? (p tr	rue)) (tautology?	(p false))))))
roposition -> Boolean	ion = Boolean   (Boolean -> Proposition)	
(tautology? true)		
[(boolean? p) p] (check-expe		
<pre>(tautology? (lambda (x) (lambda</pre>	(y) (or x y))))	
	(cneck-expect	
	(tautology	?

```
; Proposition = Boolean | (Boolean -> Proposition)
                                                                            lambda (x)
;; Proposition -> Boolean
(che
(che
lamb
  (define (tautology? p)
     (cond
       [(boolean? p) p]
       [else (and (tautology? (p true)) (tautology? (p false)))]))
  (tautology? true)
  (tautology? (lambda ({x (lBoolean}) (lambda)({y : Boolean}) (or x y))))
                                                                  (tautology?
```

;; Proposition = Boolean   (Boolean -> Propos	sition)								
:: Proposition -> Boolean								lambda (x)	
,,		lambda (x)							
(check-expect (tautology? (lambda (_) true))	true)				Proposition = Boolean   (Boolean ->	Proposition)		(or x y))))	
		(or x y))))		::	Proposition -> Boolean			false)	
(check-expect		false)							
(tautology?				(ct	neck-expect (tautology? (lambda (_) t	true)) true)		(define (tautology? p)	
		(define (tautology? p)		(ct	neck-expect				
		(cond						(cond	
lambda (x)					(tautology?			[(boolean? p) p]	
		[(boolean? p) p]							
(or x y))))								[else (and (tautology? (	p true))
false)		[else (and (tautology?	(p true))	)	r	1		(tautology? (	n false)))]))
		(tautology?	(p false)	)))]))	lambda (x)			(1010105). (	p (utsc)//j//
					(or x y))))				
	[	lambda (x)	]				;; Propositi	ion = Boolean   (Boolean -> Pr	oposition)
					false)		;; Propositi	ion -> Boolean	
; Proposition = Boolean   (Boolean -> Propos	sition)	(or x y))))							
		false)					(check-expec	ct (tautology? (lambda (_) tru	e)) true)
; Proposition -> Boolean			;	;; Proposition = B	oolean   (Boolean -> Proposition)		(check ever		
check-expect (tautology? (lambda (_) true))	true)	(define (tautology? p)					(check-exper		
			;	;; Proposition ->	Boolean		(tautolog	3y?	
check-expect		(Cond	(	(check-expect (tau	tology? (lambda (_) true)) true)				
(tautology?		[(boolean? p) p]				:: Propositio	on = Boolean	(Boolean -> Proposition)	
			(	(check-expect					
		[else (and (tautology? (p true))		(tautology?		;; Propositio	on -> Boolear	1	
		(tautology? (p false)))]))				(check-expect	t (tautology?	? (lambda (_) true)) true)	
						(check-expect	t		
						(tautology	v?		

# Interlanguage Migration: From Scripts to Programs

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# The Design and Implementation of Typed Scheme

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# **Logical Types for Untyped Languages**\*

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;; Proposition = Boolean   (Boolean -> Proposition)			
;; Proposition -> Boolean (check-expect (tautology? (lambda (_) true)) true)	lambda (x)	;; Proposition = Boolean   (Boolean	-> Proposition) (or x y))))
(check-expect (tautology?	(or x y)))) false) (define (tautology? p)	;; Proposition -> Boolean (check-expect (tautology? (lambda (	false) ) true)) (define (tautology? p) (cond
<pre>lambda (x   (define-type   (: tautology?   (define (taut</pre>	Proposition (Propositio ology? p)	(U Boolean (Boole on -> Boolean))	an -> Proposition)))
(cond ;; Propos [(boolean	? p) p]		
(check-ex [else (an	d (tautology	(p true)) (taut (check-expect (tautology? (lambda (_) true)) true)	ology? (p false)))]))
	[else (and (tautology? (p true)) (tautology?	(check-expect (tautology?	
	(p false)))]))		(check-expect (tautology?

;; Proposition = Boolean   (Boolean -> Proposition)					
;; Proposition -> Boolean	lambda (x)			lambda (x)	
(check-expect (tautology? (lambda (_) true)) true)		;; Proposition = Boolean   (Bool	ean -> Proposition)	(or x y))))	
(check-expect	(or x y))))	;; Proposition -> Boolean		false)	
	false)	(check-expect (tautology? (lambd	a (_) true)) true)	(define (tautology? p)	
(tautology?	(define (tautology? p)	(check-expect		(cond	
Lambda (x (define-type	Proposition	(U Boolean (Bool	ean -> Pr	oposition)	))
(: tautology?	(Propositio	on -> Boolean))	: PROPO	DSITION	
(define (tauto	ology? p)				
(cond					
(boolean)	? p) p]				
(check-ex [else (and	d (tautolog	y? (p true)) (tau (check-expect (tautology? (lambda (_) true)) true	tology? (	p false)))	]))
(tautology?	[(boolean? p) p]	(check-expect	;; Proposition = Boole	ean   (Boolean -> Proposition)	
	[else (and (tautology? (p true))	(tautology?	;; Proposition -> Boo	lean	
	(tautology? (p false)))]))		(check-expect (tautolo	ogy? (lambda (_) true)) true)	
			(check-expect		
			(tautology?		

;; Proposition = Boolean   (Boolean -> Proposition)					
;; Proposition -> Boolean	lambda (x)			lambda (x)	
(check-expect (tautology? (lambda (_) true)) true)		;; Proposition = Boold	ean   (Boolean -> Proposition)	(or x y))))	
(check-expect	(or x y))))	;; Proposition -> Boo	lean	false)	
(tautology?	false)	(check-expect (tautol	ogy? (lambda (_) true)) true)	(define (tautology? p)	
<u></u>	(define (tautology? p)	(check-expect		(cond	
Lambda (x (define-type P	roposition	(U Boolean (E	Boolean -> Pu	<pre>roposition))</pre>	)
(: tautology?	(Propositio	on -> Boolean)	) : PROP	OSITION	
(define (tauto	logy? p)		: BOOLEA	N	
(cond					
:: Propos [(boolean?	p)				
(check-ex [else (and	(tautology	/? (p true)) ( (check-expect (tautology? (lambda ()	(tautology?	(p false)))]	))
(tautology?	[(boolean? p) p]	(check-expect	;; Proposition = Bo	olean   (Boolean -> Proposition)	
	[else (and (tautology? (p true))	(tautology?	;; Proposition -> B	polean	
	(tautology? (p false)))]))		(check-expect (tauto	ology? (lambda (_) true)) true)	
			(check-expect		
			(tautology?		

;; Proposition = Boolean   (Boolean -> Proposition)			
;; Proposition -> Boolean			lambda (x)
(check_evnect (tautology2 (lambda ( ) true)) true)	lambda (x)	;; Proposition = Boolean   (Boolean -> Proposition)	(or x y))))
(check-capeer (carotogy: (camoua (_) chec)) chec)	(or x y))))	;; Proposition -> Boolean	
(check-expect	false)		false)
(tautology?		(check-expect (tautology? (lambda (_) true)) true)	(define (tautology? p)
	(define (tautology/ p)	(check-expect	(cond
<pre>Lambda (x     (define-type P</pre>	Proposition (U	Boolean (Boolean ->	<pre>Proposition)))</pre>
(: tautology?	(Proposition -	<pre>&gt; Boolean)) :P</pre>	ROPOSITION
(define (tauto	ology? p)	: B00	LEAN
(cond			
;; Propos [(boolean?	p) p]	: (-> BOOLEAN PROP	OPSITION)
(check-ex [else (and	d (tautology? (	(p true)) (tautology	? (p false)))])).
(tautology?	[(boolean? p) p] (che	cck-expect (fautorogy: (famoua (_) frue)) frue) :: Proposit	ion = Boolean   (Boolean -> Proposition)
	[else (and (tautology? (p true))	(tautology?	ion -> Boolean
	(tautology? (p false)))]))	(check-expe	ct (tautology? (lambda (_) true)) true)
		(check-expe	ct
		(tautolo	3y?

;; Propos	ition = Boolean   (Boolean -> Proposition)			
;; Propos	ition -> Boolean	lambda (x)	;; Proposition = Boolean   (Boolean -> Proposition)	lambda (x)
(check-exp	pect (tautology? (lambda (_) true)) true)	(or x y))))		(or x y))))
(check-exp	pect	false)	;; Proposition -> Boolean	false)
(tautol	logy?	(define (tautology? p)	(check-expect (tautology? (lambda (_) true)) true)	(define (tautology? p) (cond
lambda (x	(define-type	Proposition (U	Boolean (Boolean ->	<pre>Proposition)))</pre>
(i false)	(: tautology	Logical Type	s for Untyped La	nguages *
	(define (tau			
;; Propos	(cond	Sam Tobi	n-Hochstadt Matthias Fellei Northeastern University	sen
;; Propos	[(boolear	{	samth,matthias}@ccs.neu.edu	ICFP 2010
(check-ex (check-ex	[else (an	d (tautology? (	(p true)) (tautology	? (p false)))]))
(tauto	logy?	[(boolean? p) p] (ch	eck-expect (tautology? (lambda (_) true)) true) ;; Propositi	ion = Boolean   (Boolean -> Proposition)
		[else (and (tautology? (p true))	(tautology?	ion -> Boolean
		(tautology? (p false)))]))	(check-expec	t (tautology? (lambda ( ) true)) true)
			(check-expec	:t

;; Proposition = Boolean   (Boolean -> Proposition)				
;; Proposition -> Boolean				lambda (x)
(check-expect (tautology? (lambda (_) true)) true)		module A	;; Proposition = Boolean   (Boolean -> Proposition)	(or x y))))
(check-expect	(provide:	· · · · · · · · · · · · · · · · · · ·	;; Proposition -> Boolean	false)
(tautology?			(check-expect (tautology? (lambda (_) true)) true)	(define (tautology? p)
	(big? (-	<pre>&gt; Integer Bool))</pre>	(check-expect	(cond
lambda (x)			(tautology?	[(boolean? p) p]
(or x y))))				[else (and (tautology? (p true))
false)				(tautology? (p false)))]))
1; ;; Proposition = Boolean   (Boolean -> Proposition)	ambda (x) (or x y))))	false)	;; Proposition = Boolean   (Boolean -> Pr ;; Proposition -> Boolean	roposition)
;; Proposition -> Boolean	false)	;; Proposition = Boolean   (Boolean -> Propositio	(check-expect (tautology? (lambda (_) tru	ue)) true)
(check-expect (tautology? (lambda (_) true)) true)	define (tautology? p)	:: Proposition -> Boolean	(check-expect	
(check-expect	(cond	(check-expect (tautology? (lambda (_) true)) true	(tautology?	
(tautology?	[(boolean? p) p]	(check-expect		
()	[else (and (tautology? p true))	(tautology?	r	nodule B
(1	(tautology? p false)))]))		(require A)	
			(big? "hello	world")

;; Proposition = Boolean   (Boolean -> Proposition)			
;; Proposition -> Boolean			lambda (x)
(check-expect (tautology? (lambda (_) true)) true)	· · · · · · · module A	= Boolean   (Boolean -> Proposition)	(or x y))))
(check-expect	(provide:	-> Boolean	false)
(tautology?	(check-expect)	(tautology? (lambda (_) true)) true)	(define (tautology? p)
LJ	(big? (-> Integer Bool)) (check-expect		(cond
lambda (x)	(tautology?		[(boolean? p) p]
(or x y))))			[else (and (tautology? (p true))
false)	lamo y (x)		(tautology? (p false)))]))
	WHAT PREVENTS MODILIER FROM APPLYING	position = Boolean   (Boolean -> Prop	osition)
		position -> Boolean	
;; Proposition = Boolean   (Boolean -> Proposition)	THE DID! FUNCTION TO A STRING!		
;; Proposition -> Boolean		<pre>-expect (tautology? (lambda (_) true))</pre>	) true)
(check-expect (tautology? (lambda (_) true)) true)	CONTRACTS!	-expect	
(check-expect	(cond (check-expect (tautology? (lambda () true)) true)	(tautology?	
(tautology?	[(boolean? p) p]		
	[else (and (tautology? (p true))	· · m	odule B
	(tautology?	(require A)	
	(p false)))]))		
		(big? "hello w	orld")

;; Proposition = Boolean   (Boolean -> Proposition)			
;; Proposition -> Boolean			lambda (x)
(check-expect (tautology? (lambda (_) true)) true)	······· module A	;; Proposition = Boolean   (Boolean -> Proposition)	(or x y))))
(check-expect	(provide:	;; Proposition -> Boolean	false)
(tautology?	(provide.	(check-expect (tautology? (lambda (_) true)) true)	(define (tautology? p)
	(big? (-> Integer Bool))	(check-expect	(cond
lambda (x)		(tautology?	[(boolean? p) p]
(or x y))))			[else (and (tautology? (p true))
false)			(tautology? (p false)))]))
Interlangua	ge Migration: From	Scripts to Progr	ams
:: Proposition = :: Proposition -: (check-expect (ta Boos samth@	in-Hochstadt DLS 2006 tern University ston, MA ccs.neu.edu	Matthias Felleisen Northeastern University Boston, MA matthias@ccs.neu.edu	
(tautology? (t	<pre>[(boolean? p) p] (check-expect p true)) (tautology? p false)))]))</pre>	······ (require A) (big? "hello	nodule B world")

;; Proposition = Boolean   (Boolean -> Proposition)				
;; Proposition -> Boolean				lambda (x)
(check-expect (tautology? (lambda (_) true)) true)	· ·	module A	;; Proposition = Boolean   (Boolean -> Proposition)	(or x y))))
(check-expect	(provide:		;; Proposition -> Boolean	false)
(tautology?			(check-expect (tautology? (lambda (_) true)) true)	(define (tautology? p)
	(big? (-	<pre>&gt; Integer Bool))</pre>	(check-expect	(cond
lambda (x)			(tautology?	[(boolean? p) p]
(or x y))))				[else (and (tautology? (p true))
false)		<u> </u>		(tautology? (p false)))]))
<pre>la :: Proposition = Boolean   (Boolean -&gt; Proposition) :: Proposition -&gt; Boolean (check-expect (tautology? (lambda (_) true)) true) (check-expect</pre>	ambda (x) (or x y)))) false) define (tautology? p) (cond	(or x y)))) false) (require A) (provvide	<pre>;; Proposition = Boolean   (Boolean - ;; Proposition -&gt; Boolean (check-expect (tautology? (lambda (_) (check-expect         (tautology?</pre>	<pre>&gt; Proposition) true)) true)</pre>
(tautology?		(all-from A)		
(1	[else (and (tautology? o true))			
(1	(tautology? o false)))]))		(require B)	
			(big? "hello	world")

;; Proposition = Boolean   (Boolean -> Proposition)				
;; Proposition -> Boolean				lambda (x)
(check-expect (tautology? (lambda (_) true)) true)		module A	;; Proposition = Boolean   (Boolean -> Proposition)	(or x y))))
(check-expect	(provide:		;; Proposition -> Boolean	false)
(tautology?			(cneck-expect (tautology? (lambda (_) true)) true)	(define (tautology? p)
	(big? (-	-> Integer Bool))	(check-expect	(cond
lambda (x)			(tautology?	[(boolean? p) p]
(or x y))))				[else (and (tautology? (p true))
false)		lambda (x)		(tautology? (p false)))]))
		(or x y))))	;; Proposition = Boolean   (Boolean -> Pr	oposition)
	lambda (x)	false)		
;; Proposition = Boolean   (Boolean -> Proposition)	(or x y))))		;; Proposition -> Boolean	
;; Proposition -> Boolean	false)		(Check-expect (tablotogy: (tambua ()) tha	
(check-expect (tautology? (lambda (_) true)) true)	(define (tautology? p)	(require A)	(check-expect	
(check-expect	(cond	(provvide		
(tautology?	[(boolean? p) p]			
	[else (and (tautology? (p true))	(all-from A)	))	
	(tautology? (p false)))]))		(require)	
			(big? "hello	world")
			••••••	

;; Proposition = Boolean   (Boolean -> Proposition)				
;; Proposition -> Boolean				lambda (x)
(check-expect (tautology? (lambda (_) true)) true)	••••••• m	odule A	tion = Boolean   (Boolean -> Proposition)	(or x y))))
(check-expect	(provide:	;; Proposi	tion -> Boolean	false)
(tautology?		(check-exp	ect (tautology? (lambda (_) true)) true)	(define (tautology? p)
	(big? (-> Integer	B001)) (check-exp	ect	(cond
lambda (x)		(tautol	ogy?	[(boolean? p) p]
(or x y))))				[else (and (tautology? (p true))
false) The Desig	n and Implemen	tation of Ty	ped Scheme	(tautology? (p false)))]))
<pre>;: Proposition = Boole: ;: Proposition -&gt; Boole (check-expect (tautology? (lambda (_) true)) true) (check-expect (tautology?</pre>	Sam Tobin-Hochstadt PLT, Northeaster Boston, MA (define (tautology? p) (cond (boolean? p) p] (felse (and (tautology? (p false))))) (tautology?	Matthias Felleisen n University 02115 A) vide ll-from A))	DOPL2008	psition) (true)
#### THE UPS AND DOWNS OF ONE OF MY OWN RESEARCH TOPICS





#### THE UPS AND DOWNS OF ONE OF MY OWN RESEARCH TOPICS







### **Gradual Typing for First-Class Classes\***

Asumu Takikawa T. Stephen Strickland Christos Dimoulas Sam Tobin-Hochstadt Matthias Felleisen

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### Towards Pract. | Gradual Typing\*

Asumu Takikawa<sup>1</sup>, Dan. | Feltey<sup>1</sup>, Earl Dean<sup>2</sup>, Matthew Flatt<sup>3</sup>, Robert Bruce Findler<sup>4</sup>, S. m Tobin-Hochstadt<sup>2</sup>, and Matthias Felleisen<sup>1</sup>

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#### THE EXISTING IDIOMS.

#### **FRACTS WORK**

JRKED OUT

#### THE UPS AND DOWNS OF ONE OF MY OWN RESEARCH TOPICS









#### ADDING TYPES INCREMENTALLY: PERFORMANCE MEASUREMENTS

;; Proposition = Boolean   (Boolean -> Pro	position)			
;; Proposition -> Boolean		Jambda (u)		lambda (x)
(check-expect (tautology? (lambda (_) true)) true)		Lambua (X)	;; Proposition = Boolean   (Boolean -> Proposition)	(or x y))))
(check expect		(or x y))))	;; Proposition -> Boolean	false)
		false)	(check-expect (tautology? (lambda (_) true)) true)	
(tautology?		(define (tautology? p)		(define (tautology? p)
		(cond	(check-expect	(cond
lambda (x)			(tautology?	[(boolean? p) p]
(or x y))))		[(boolean? p) p]		[else (and (tautology? (p true))
		[else (and (tautology? (p true))		



#### Asumu Takikawa, Daniel Feltey, Ben Greenman, Max S. New, Jan Vitek, Matthias Felleisen

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POPL 2016



## BACK TO THIS LOVE AND PHD BUSINESS.









**TYPE INFERENCE** 

INCREMENTALLY ADDED EXPLICITLY STATIC TYPES





# AND IT HAPPENS TO STUDENTS DURING A PHD PROGRAM.

JAL TYPING DEAD?

**TYPE INFERENCE** 

INCREMENTALLY ADDED EXPLICITLY STATIC TYPES







- And your advisor's emotional wavelength matters, a lot.
- So choose your advisor well.



- And your advisor's emotional wavelength matters, a lot.
- So choose your advisor well.

## THE END

- Herrn G. Dopfer, my high school mathematics teacher, for encouraging me to not take English, focus on math and physics, and go to university, a first for our family
- Daniel Friedman, my advisor, for showing me what an advisor can do for a PhD student

And two dozen PhD students, who had the guts to work with me and believed I could be their scientific and emotional guide

# **QUESTIONS?**